

Package ‘desla’

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Type Package

Title Desparsified Lasso

Version 0.1.0

Description Calculates the desparsified lasso as originally introduced in van de Geer et al. (2014) <[doi:10.1214/14-AOS1221](https://doi.org/10.1214/14-AOS1221)>, and provides inference suitable for high-dimensional time series, based on the long run covariance estimator in Adamek et al. (2020) <[arXiv:2007.10952](https://arxiv.org/abs/2007.10952)>.

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R topics documented:

desla	2
HDLP	6
Index	8

desla

*Desparsified lasso***Description**

Calculates the desparsified lasso as originally introduced in van de Geer et al. (2014), and provides inference suitable for high-dimensional time series, based on the long run covariance estimator in Adamek et al. (2021).

Usage

```
desla(
  X,
  Y,
  H,
  init_partial = NA,
  nw_partials = NA,
  demean = TRUE,
  scale = TRUE,
  gridsize = 100,
  init_grid = NA,
  nw_grids = NA,
  init_selection_type = NA,
  nw_selection_types = NA,
  init_nonzero_limit = NA,
  nw_nonzero_limits = NA,
  init_opt_threshold = NA,
  nw_opt_thresholds = NA,
  init_opt_type = NA,
  nw_opt_types = NA,
  LRVtrunc = 0,
  T_multiplier = 0,
  alphas = c(0.01, 0.05, 0.1),
  R = NA,
  q = NA,
  PIconstant = 0.8,
  PProbability = 0.05,
  manual_Thetahat_ = NULL,
  manual_Upsilonhat_inv_ = NULL,
  manual_nw_residuals_ = NULL
)
```

Arguments

X	T_xN regressor matrix
y	T_x1 dependent variable vector

H	indexes of relevant regressors
init_partial	(optional) boolean, true if you want the initial lasso to be partially penalized (false by default)
nw_partials	(optional) boolean vector with the dimension of H, trues if you want the nodewise regressions to be partially penalized (all false by default)
demean	(optional) boolean, true if X and y should be demeaned before the desparsified lasso is calculated. This is recommended, due to the assumptions for the method (true by default)
scale	(optional) boolean, true if X and y should be scaled by the column-wise standard deviations. Recommended for lasso based methods in general, since the penalty is scale-sensitive (true by default)
gridsize	(optional) integer, how many different lambdas there should be in both initial and nodewise grids (100 by default)
init_grid	(optional) vector, containing user specified initial grid
nw_grids	(optional) matrix with number of rows the size of H, rows containing user specified grids for the nodewise regressions
init_selection_type	(optional) integer, how should lambda be selected in the initial regression, 1=BIC, 2=AIC, 3=EBIC, 4=PI (4 by default)
nw_selection_types	(optional) integer vector with the dimension of H, how should lambda be selected in the nodewise regressions, 1=BIC, 2=AIC, 3=EBIC, 4=PI (all 4s by default)
init_nonzero_limit	(optional) number controlling the maximum number of nonzeros that can be selected in the initial regression (0.5 by default, meaning no more than $0.5 * T_{regressors}$ can have nonzero estimates)
nw_nonzero_limits	(optional) vector with the dimension of H, controlling the maximum number of nonzeros that can be selected in the nodewise regressions (0.5s by default)
init_opt_threshold	(optional) optimization threshold for the coordinate descent algorithm in the initial regression (10^{-4}) by default)
nw_opt_thresholds	(optional) vector with the dimension of H, optimization thresholds for the coordinate descent algorithm in the nodewise lasso regression (10^{-4} s by default)
init_opt_type	(optional) integer, which type of coordinate descent algorithm should be used in the initial regression, 1=naive, 2=covariance, 3=adaptive (3 by default)
nw_opt_types	(optional) integer vector with the dimension of H, which type of coordinate descent algorithm should be used in the nodewise regressions, 1=naive, 2=covariance, 3=adaptive (3s by default)
LRVtrunc	(optional) parameter controlling the bandwidth Q_T used in the long run covariance matrix, $Q_T = \text{ceil}(T_{multiplier} * T^{LRVtrunc})$. When $LRVtrunc = T_{multiplier} = 0$, the bandwidth is selected according to Andrews (1991) ($LRVtrunc = 0$ by default)

<code>T_multiplier</code>	(optional) parameter controlling the bandwidth Q_T used in the long run covariance matrix, $Q_T = \text{ceil}(T_multiplier * T^{LRVtrunc})$. When $LRVtrunc = T_multiplier = 0$, the bandwidth is selected according to Andrews (1991) ($T_multiplier = 0$ by default)
<code>alphas</code>	(optional) vector of significance levels (c(0.01,0.05,0.1) by default)
<code>R</code>	(optional) matrix with number of columns the dimension of H , used to test the null hypothesis $R * \beta = q$ (identity matrix as default)
<code>q</code>	(optional) vector of size same as the rows of H , used to test the null hypothesis $R * \beta = q$ (zeroes by default)
<code>PIconstant</code>	(optional) constant, used in the plug-in selection method (0.8 by default). For details see Adamek et al. (2021)
<code>PIprobability</code>	(optional) probability, used in the plug-in selection method (0.05 by default). For details see Adamek et al. (2021)
<code>manual_Thetahat_</code>	(optional) matrix with rows the size of H and columns the number of regressors. Can be obtained from earlier executions of the function to avoid unnecessary calculations of the nodewise regressions (NULL as default)
<code>manual_Upsilonhat_inv_</code>	(optional) matrix with rows and columns the size of H . Can be obtained from earlier executions of the function to avoid unnecessary calculations of the node-wise regressions (NULL as default)
<code>manual_nw_residuals_</code>	(optional) matrix with rows equal to the sample size and columns the size of H , containing the residuals from the nodewise regressions. Can be obtained from earlier executions of the function to avoid unnecessary calculations of the nodewise regressions (NULL as default)

Value

Returns a list with the following elements:

<code>bhat_scaled</code>	desparsified lasso estimates for the parameters indexed by H . These estimates are based on data that is potentially standardized, for estimates that are brought back into the original scale of X , see <code>bhat</code>
<code>bhat</code>	desparsified lasso estimates for the parameters indexed by H , unscaled to be in the original scale of y and X
<code>intervals_scaled</code>	matrix containing the confidence intervals for parameters indexed in H , for significance levels given in <code>alphas</code> . These are based on data that is potentially standardized, for estimates that are brought back into the original scale of X , see <code>intervals</code>
<code>intervals</code>	matrix containing the confidence intervals for parameters indexed in H , unscaled to be in the original scale of y and X
<code>joint_chi2_stat</code>	test statistic for hull hypothesis $R * \beta = q$, asymptotically chi squared distributed

chi2_critical_values	critical values of the chi squared distribution with degrees of freedom corresponding to the joint test $R\beta=q$, for significance levels given in alphas
betahat	lasso estimates from the initial regression of y on X
Gammahat	matrix used for calculating the desparsified lasso, for details see Adamek et al. (2021)
Upsilonhat_inv	matrix used for calculating the desparsified lasso, for details see Adamek et al. (2021)
Thetahat	approximate inverse of $(X'X)/T_*$, used for calculating the desparsified lasso, for details see Adamek et al. (2021)
Omegahat	long run covariance matrix for the variables indexed by H , for details see Adamek et al. (2021)
init_residual	vector of residuals from the initial lasso regression
nw_residuals	matrix of residuals from the nodewise regressions
init_grid	redundant output, returning the function input <code>init_grid</code>
nw_grids	redundant output, returning the function input <code>nw_grids</code>
init_lambda	value of lambda that was selected in the initial lasso regression
nw_lambdas	values of lambdas that were selected in the nodewise lasso regressions
init_nonzero	number on nonzero parameters in the initial lasso regression
nw_nonzeros	vector of nonzero parameters in the nodewise lasso regressions
init_nonzero_pos	vector of indexes of the nonzero parameters in the initial lasso
nw_nonzero_pos	list of vectors for each nodewise regression, giving the indexes of nonzero parameters in the nodewise regressions

References

- Adamek R, Smeekes S, Wilms I (2021). “LASSO inference for high-dimensional time series.” *arXiv preprint arXiv:2007.10952*.
- Andrews DW (1991). “Heteroskedasticity and autocorrelation consistent covariance matrix estimation.” *Econometrica*, **59**(3), 817–858.
- van de Geer S, Bühlmann P, Ritov Y, Dezeure R (2014). “On asymptotically optimal confidence regions and tests for high-dimensional models.” *Annals of Statistics*, **42**(3), 1166–1202.

Examples

```
X<-matrix(rnorm(100*100), nrow=100)
y<-X[,1:4] %*% c(1, 2, 3, 4) + rnorm(100)
H<-c(1, 2, 3, 4)
d<-desla(X, y, H)
```

Description

Calculates impulse responses with local projections, using the `desla` function to estimate the high-dimensional linear models, and provide asymptotic inference. The naming conventions in this function follow the notation in Plagborg-Moller and Wolf (2021), in particular Equation 1 therein.

Usage

```
HDLP(
  r = NULL,
  x,
  y,
  q = NULL,
  y_predetermined = FALSE,
  cumulate_y = FALSE,
  hmax = 24,
  lags = 12,
  alphas = 0.05,
  init_partial = TRUE,
  selection = 4,
  PIconstant = 0.8,
  progress_bar = TRUE
)
```

Arguments

<code>r</code>	(optional) vector or matrix with T_- rows, containing the "slow" variables, ones which do not react within the same period to a shock, see Plagborg-Moller and Wolf (2021) for details (NULL by default)
<code>x</code>	T_{-x1} vector containing the shock variable, see Plagborg-Moller and Wolf (2021) for details
<code>y</code>	T_{-x1} vector containing the response variable, see Plagborg-Moller and Wolf (2021) for details
<code>q</code>	(optional) vector or matrix with T_- rows, containing the "fast" variables, ones which may react within the same period to a shock, see Plagborg-Moller and Wolf (2021) for details (NULL by default)
<code>y_predetermined</code>	(optional) boolean, true if the response variable <code>y</code> is predetermined with respect to <code>x</code> , i.e. cannot react within the same period to the shock. If true, the impulse response at horizon 0 is 0 (false by default)
<code>cumulate_y</code>	(optional) boolean, true if the impulse response of <code>y</code> should be cumulated, i.e. using the cumulative sum of <code>y</code> as the dependent variable (false by default)

hmax	(optional) integer, the maximum horizon up to which the impulse responses are computed. Should not exceed the $T_{-}lags$ (24 by default)
lags	(optional) integer, the number of lags to be included in the local projection model. Should not exceed $T_{-}hmax$ (12 by default)
alphas	(optional) vector of significance levels (0.05 by default)
init_partial	(optional) bool, true if the parameter of interest should NOT be penalized (true by default)
selection	(optional) integer, how should lambda be selected in BOTH the initial and node-wise regressions, 1=BIC, 2=AIC, 3=EBIC, 4=PI (4 by default)
PIconstant	(optional) constant, used in the plug-in selection method (0.8 by default). For details see Adamek et al. (2021)
progress_bar	(optional) boolean, true if a progress bar should be displayed during execution (true by default)

Value

Returns a list with the following elements:

intervals	matrix containing the point estimates and confidence intervals for the impulse response function, for significance levels given in <code>alphas</code>
Thetahat	matrix (row vector) calculated from the nodewise regression at horizon 0, which is re-used at later horizons

References

Adamek R, Smeeke S, Wilms I (2021). “LASSO inference for high-dimensional time series.” *arXiv preprint arXiv:2007.10952*.

Plagborg-Moller M, Wolf CK (2021). “Local projections and VARs estimate the same impulse responses.” *Econometrica*, **89**(2), 955–980.

Examples

```
X<-matrix(rnorm(100*100), nrow=100)
y<-X[,1:4] %*% c(1, 2, 3, 4) + rnorm(100)
h<-HDLP(x=X[,4], y=y, q=X[, -4], hmax=5, lags=1)
```

Index

desla, 2

HDLP, 6